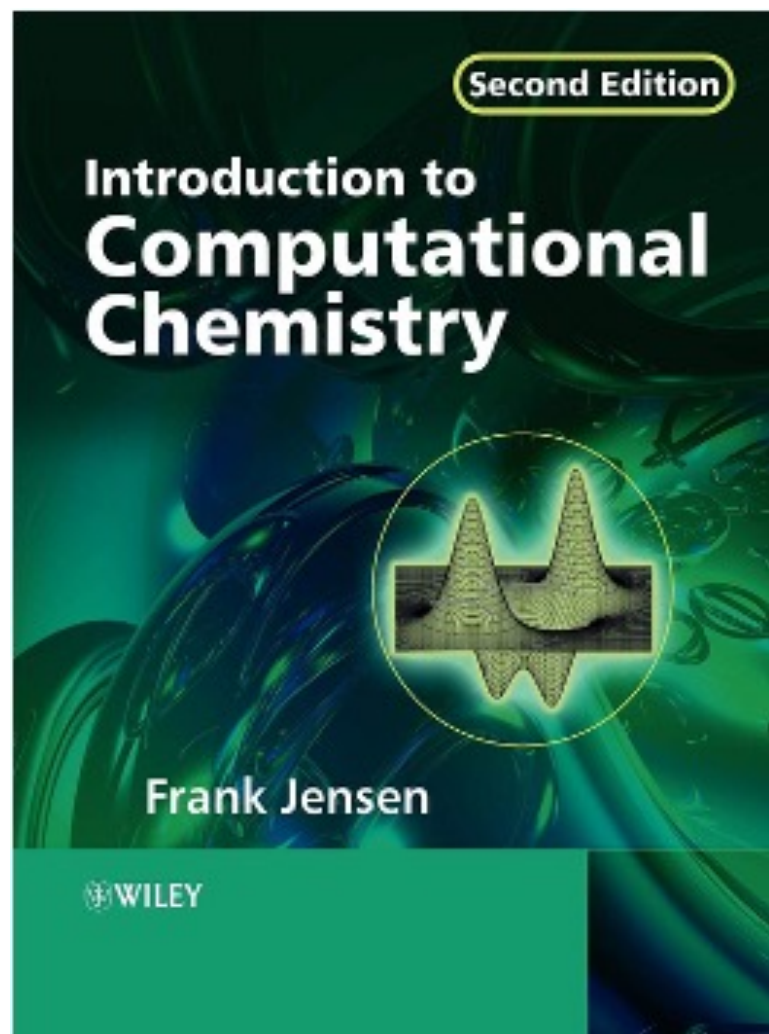


Optimization Techniques – locate a transition state

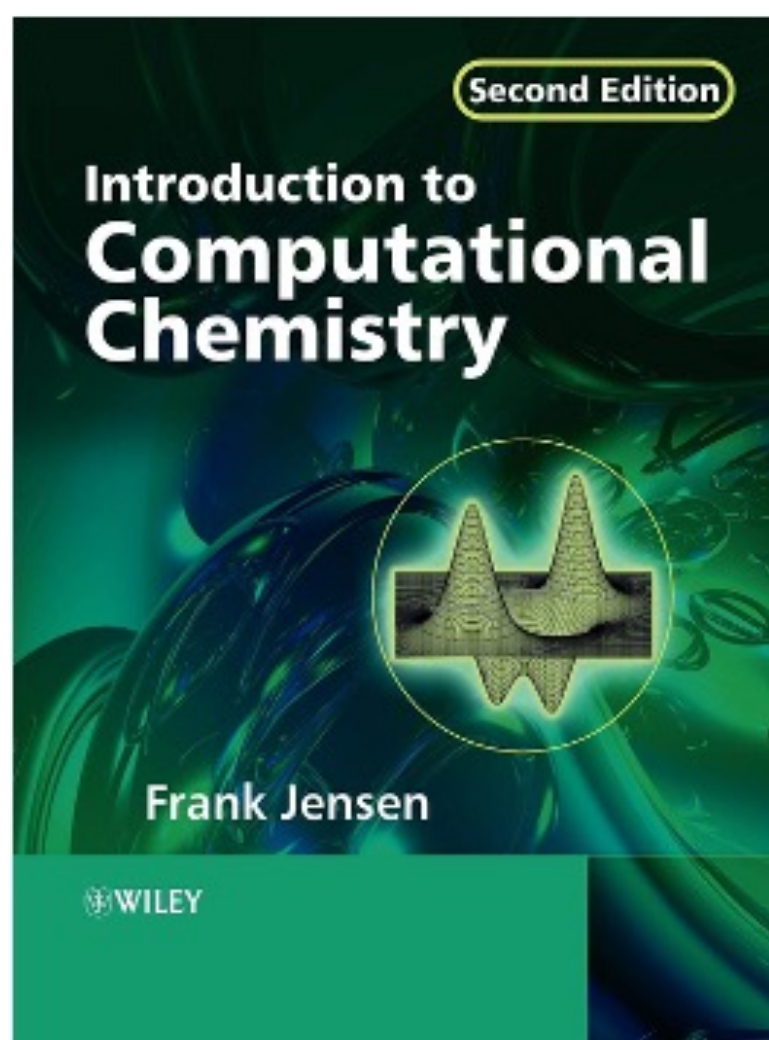
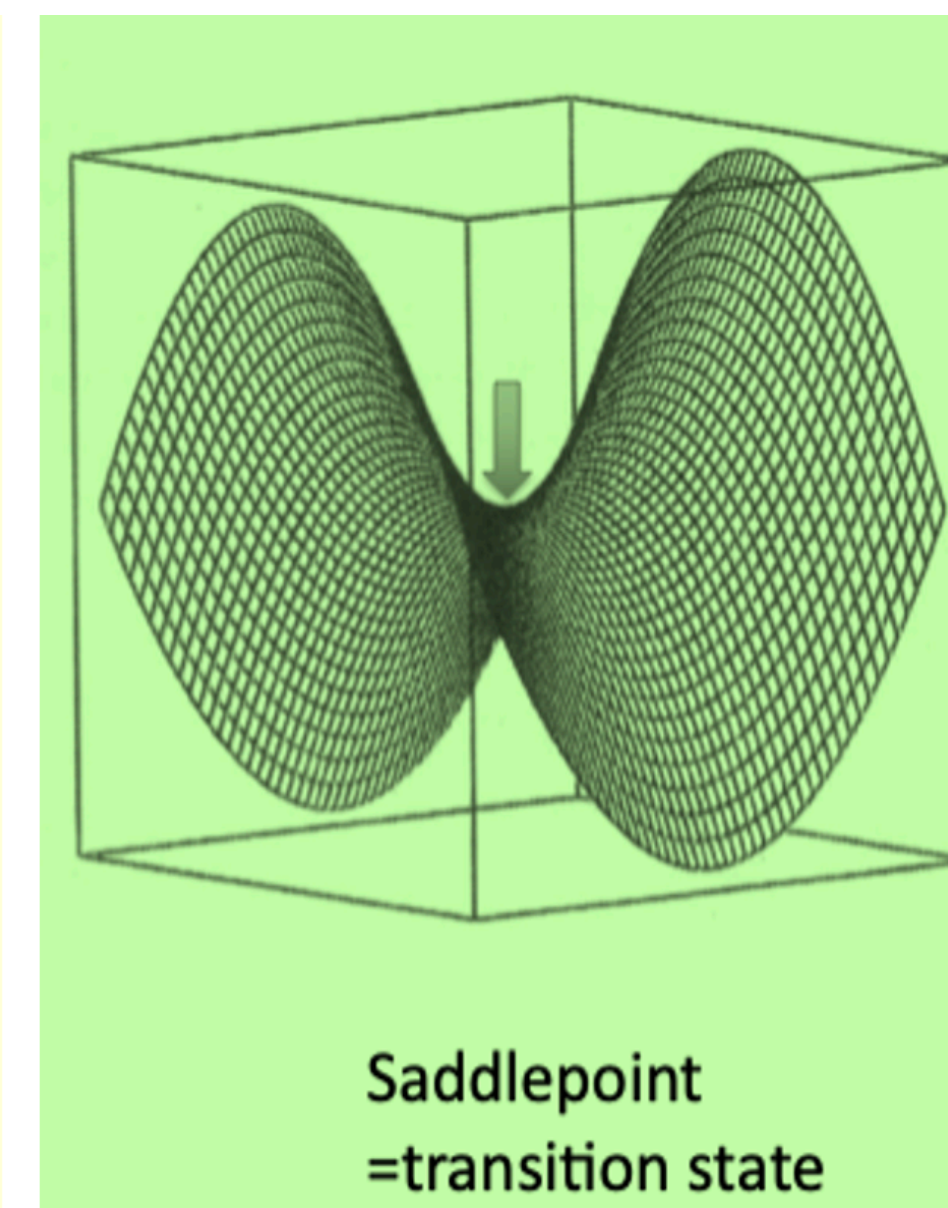
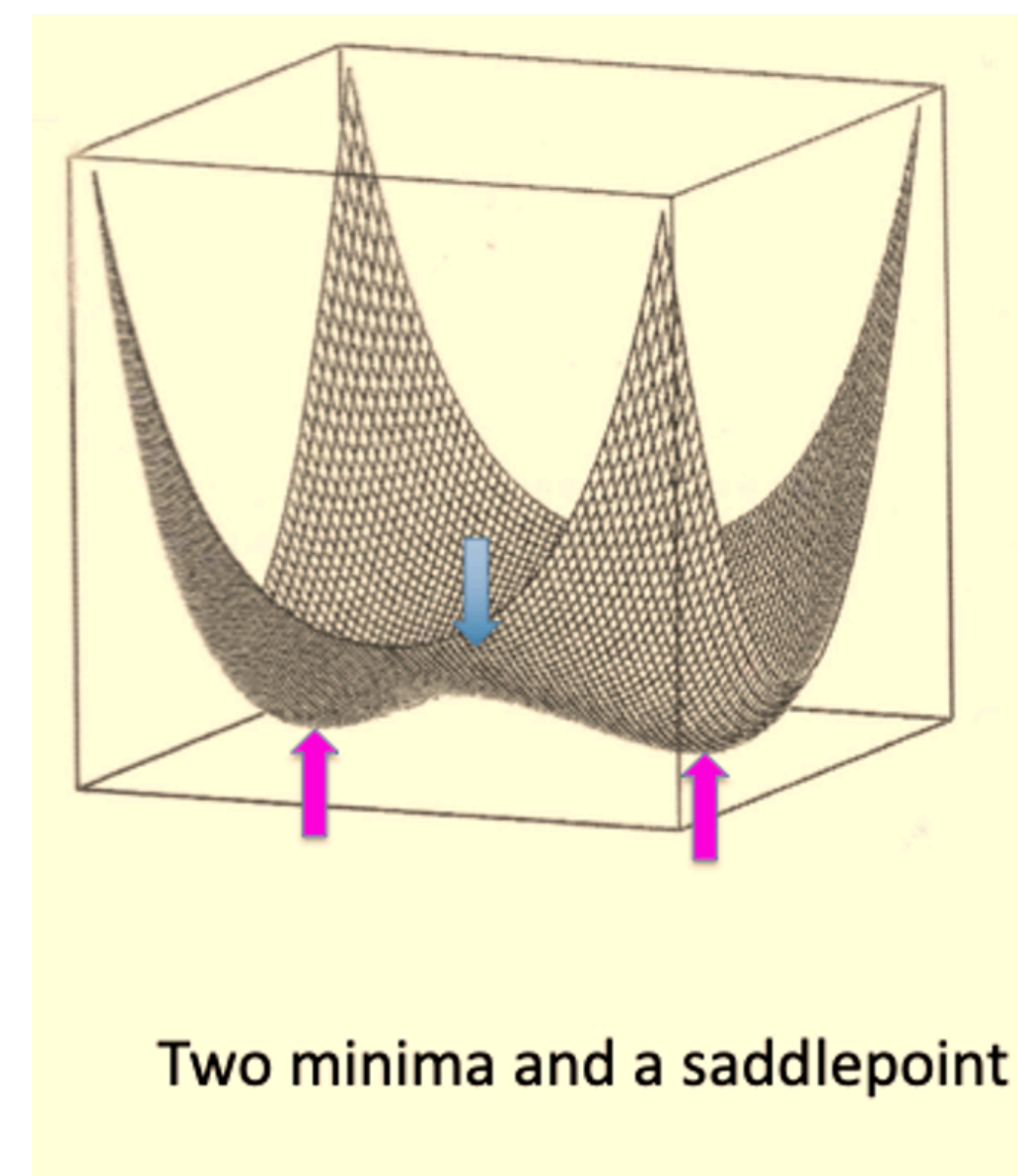
- Locating minima for functions is fairly easy.
- Finding first-order saddle points, *transition structures* (TS), is much more difficult.
- There are *no* general methods that are guaranteed to work!
- Many different strategies have been proposed.
 - **One-structure interpolation methods:**
 - ✓ *Linear Synchronous Transit* (LST) method.
 - ✓ *Quadratic Synchronous Transit* (QST).
 - ✓ *Synchronous Transit-guided Quasi-Newton* (STQN).
 - **Two-structure interpolation methods**
 - ✓ *Saddle* algorithm.
 - ✓ *Step-and-Slide* algorithm.
 - **Multi-structure interpolation method**
 - ✓ *Self-Penalty Walk* (SPW) method.
 - ✓ *Locally Updated Planes* (LUP) minimization.
 - ✓ *Conjugate Peak Refinement* (CPR) method.
 - ✓ *Nudged Elastic Band* (NEB) method.



Optimization Techniques – locate a transition state

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ORCA 6.0 TUTORIALS

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[Hello water! Your first ORCA calculation](#)

[Input and Output](#)

[Running a calculation in parallel](#)

[Graphical User Interfaces \(GUI\)](#)

Finding Transition States with NEB-TS

Suppose you wanted to predict the transition state (TS) for the hydrolysis of methyl-acetate into acetic acid and methanol:

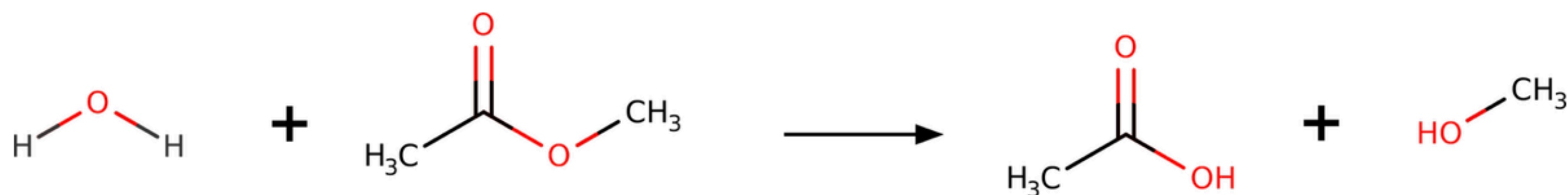


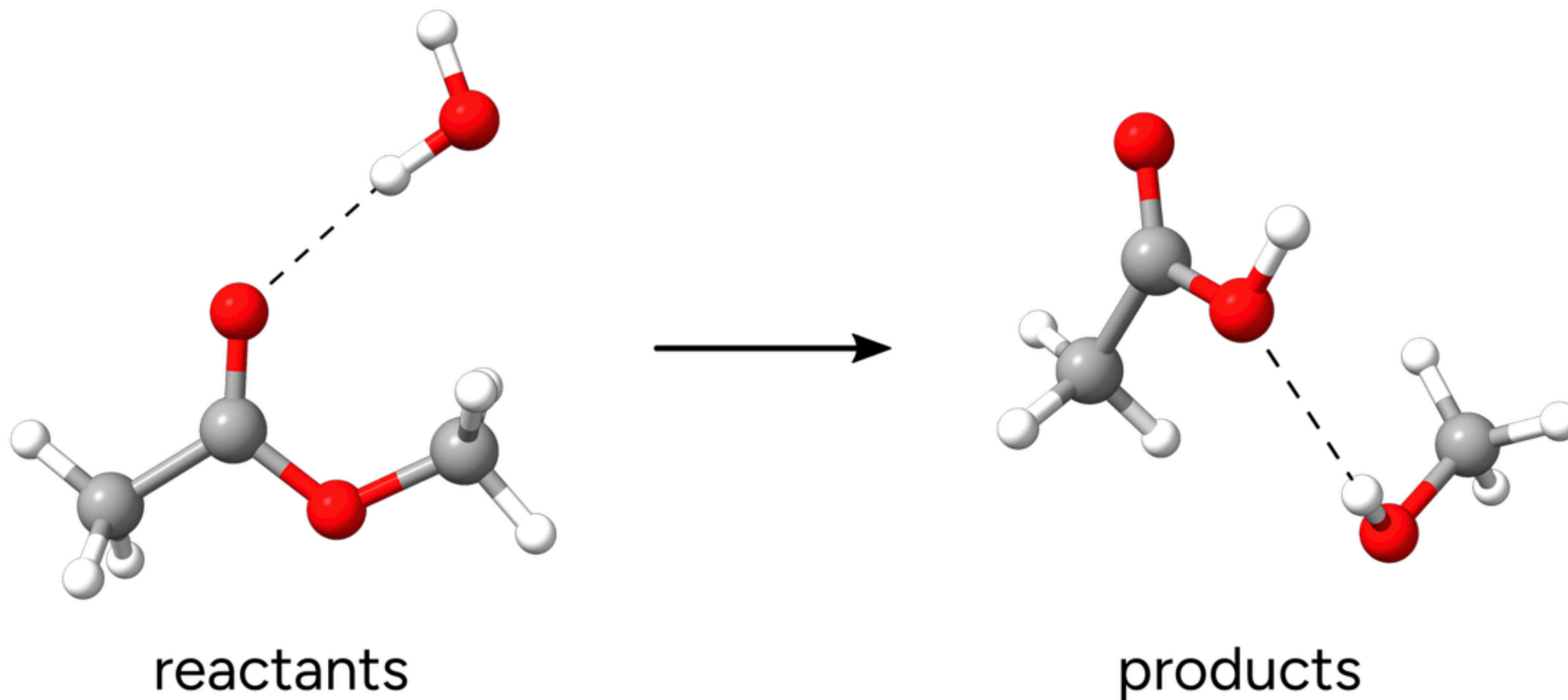
Figure: Hydrolysis reaction of methyl-acetate.

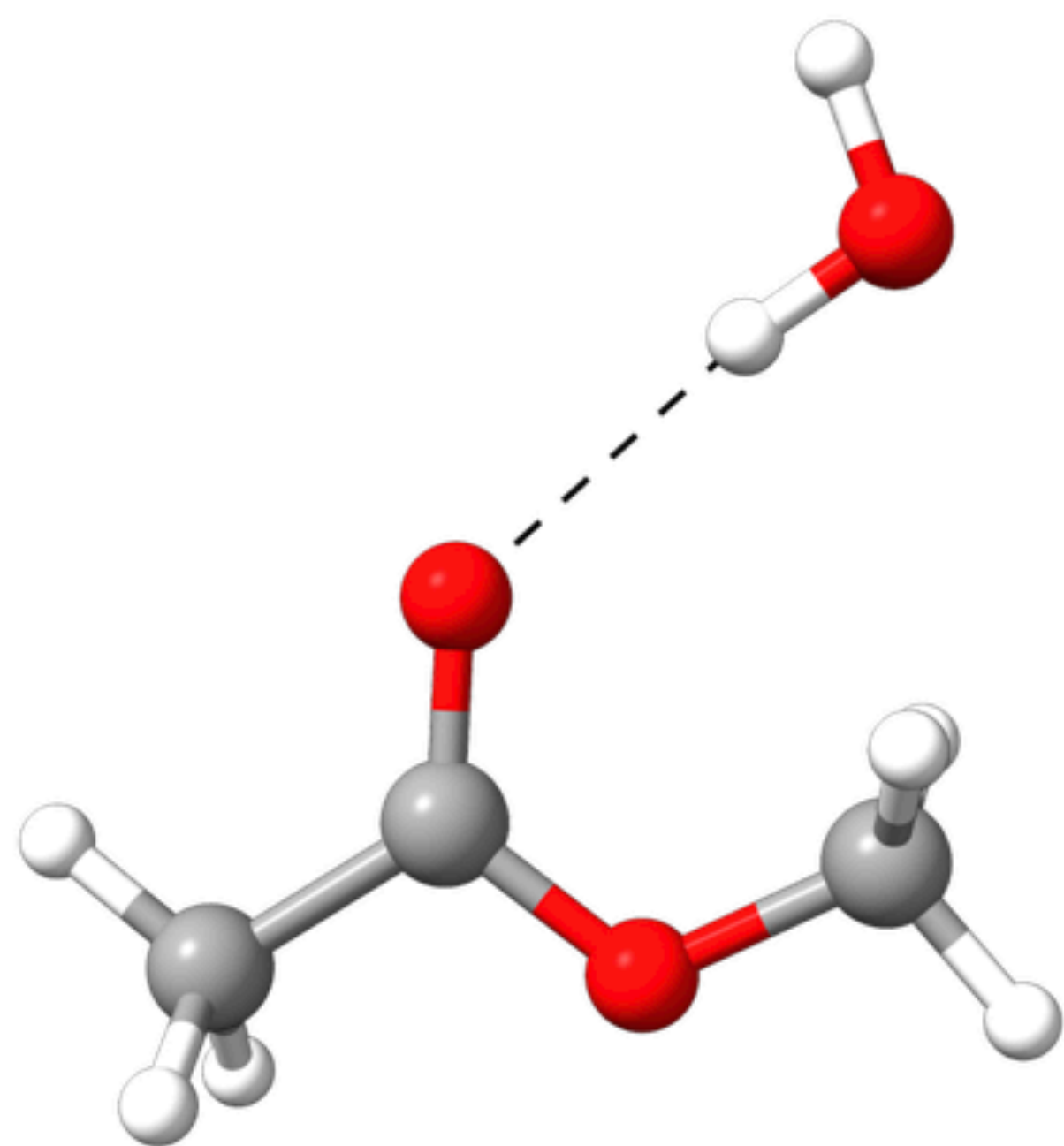
Maybe you need to investigate the mechanism, or even to compute the $\Delta G^\ddagger$ and try to predict reaction rates. How could one do that using theory?

In ORCA there is a black box method called NEB-TS (from Nudged Elastic Band with TS optimization), that can find the TS structure only from the geometries of the reactants and products!

Defining your reactants and products

So the first step is to optimize the "reactants" and "products".





reactants

```
!PBEh-3c OPT
* xyz 0 1
C      -3.84500      -0.17571      -0.03921
C      -2.44492       0.32082       0.15466
H      -4.02399     -1.04086       0.60409
H      -4.00401     -0.43615     -1.08861
H      -4.55059       0.61392       0.23466
O      -1.55509     -0.65188     -0.18018
C      -0.18433     -0.27497     -0.02916
H       0.05373       0.57033     -0.68208
H       0.43501     -1.12619     -0.32499
H       0.03294     -0.03494      1.01615
O      -2.15827       1.44183       0.55653
O      -0.06767       3.07881       1.16647
H      -0.50923       3.90074       1.42789
H      -0.83167       2.50085       0.95538
*
```

PBEh-3c is a highly efficient electronic structure approach performing particularly well in the optimization of geometries and for interaction energies of non-covalent complexes.^[325] Here, a global hybrid variant of the Perdew-Burke-Ernzerhof (PBE) functional with a relatively large amount of non-local Fock-exchange (42%) is employed with a valence-double-zeta Gaussian AO basis set (def2-mSVP). Basis set superposition errors (BSSE) and London dispersion effects are accounted for by the gCP and D3 schemes, respectively (see above). The basis set is constructed such that:

Table 7.8

Composition of the def2-mSVP basis set.

element	basis
H	def2-SV(P) (α scaled by 1.2)
He	def2-SVP(-p)
Li-Be,Na-Kr	def2-SV(P)
B,Ne	Ahlrichs' DZ + Polarization from def2-SVP
C-F	Ahlrichs' DZ + Polarization from 6-31G*
Rb-Rn	def2-SVP with Stuttgart-Dresden ECPs

The NEB-TS input

With the optimized reactants and products at hand, we can create the NEB-TS input which is quite simple. NEB-TS is requested via the `NEB-TS` keyword and all other settings are defined in the `%NEB` block. To verify that our probably found TS is reasonable we also request a final vibrational frequencies calculation.

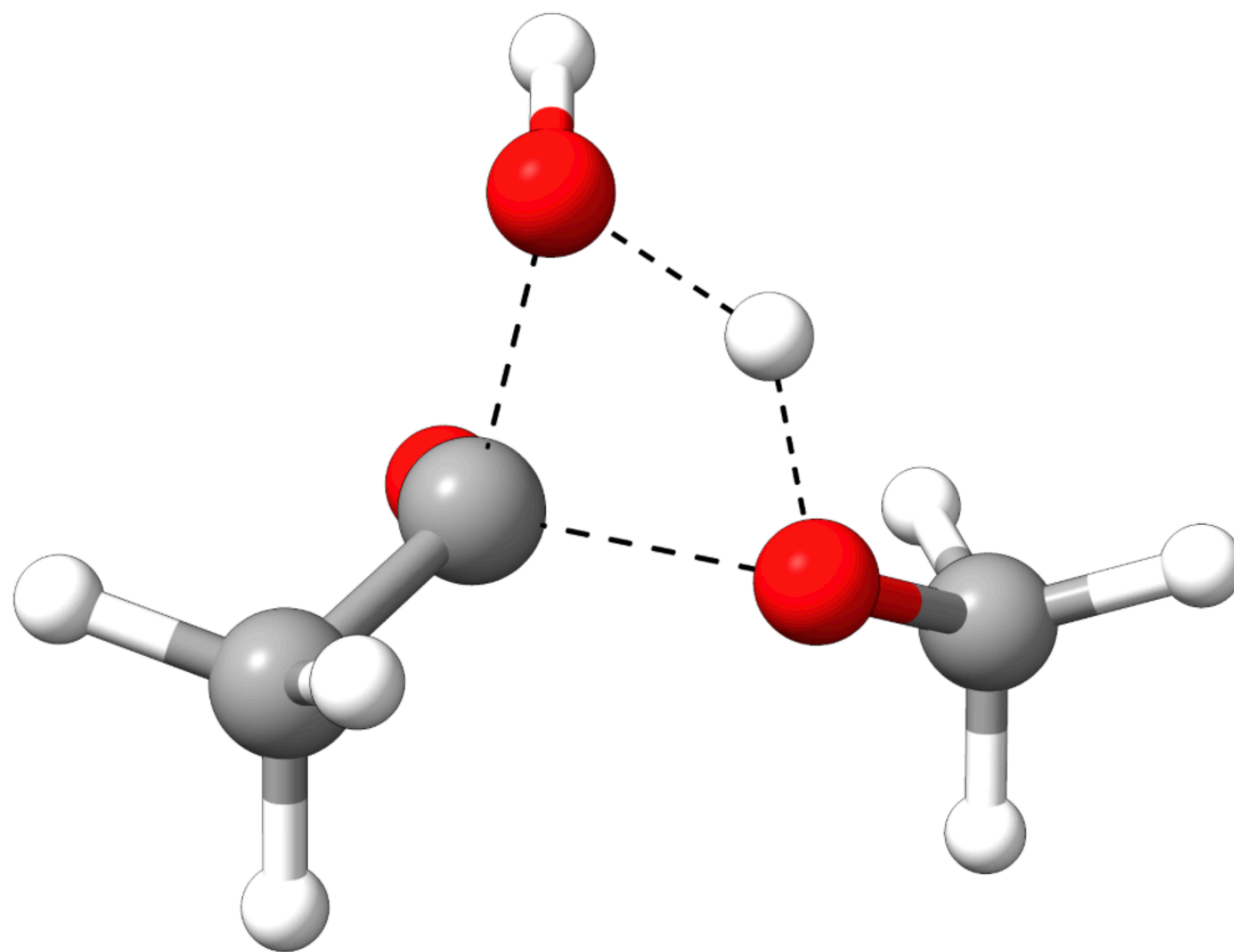
```
!PBEh-3c NEB-TS FREQ

%NEB
  NEB_END_XYZFILE "product.xyz"
END

*XYZFILE 0 1 reactant.xyz
```



The final trajectory from the reactants to products can be read from `basename_MEP_trj.xyz`, and the final transition state geometry, saved in `basename_NEB-TS_converged.xyz` is:

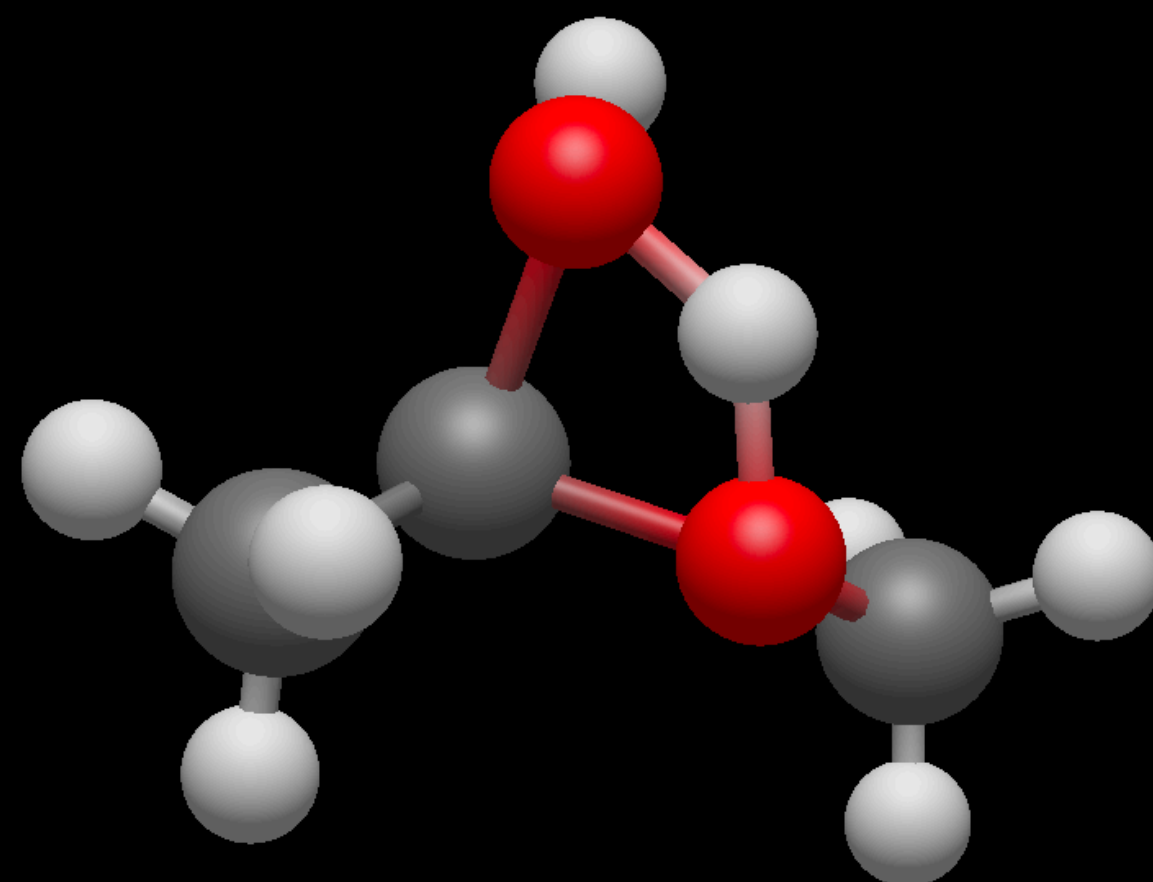




*

Split Horizontal

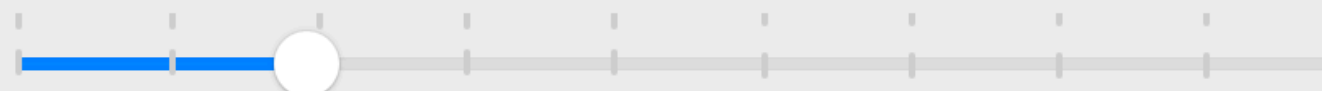
Split Vertical



Vibrational Modes

Frequency (cm ⁻¹)	Intensity (KM/mol)
0	0
0	0
0	0
0	0
0	0
0	0
-1189,09	0
47,59	1,2
135,85	0,6
209,04	0,76
242,59	0,62
312,29	0,47
371,88	38,91
426,55	38,24
474,75	200,65
562,19	149,62
641,09	35,83
704,27	25,12
803,63	850,63
952,83	141,61
1047,35	49,82
1105,4	224,61
1147,91	321,53
1172,3	45,02

Amplitude:



Start Animation

Stop Animation

Intrinsic Reaction Coordinate (IRC)

The Intrinsic Reaction Coordinate (IRC) is a special form of a minimum energy path that connects a transition state (TS) with its downhill-nearest intermediates. A method determining the IRC is thus useful to determine whether a transition state is directly connected to a given reactant and/or product. ORCA features its own implementation of Morokuma and coworkers' popular method.[\[Morokuma1977\]](#) The IRC method can be requested via the `IRC` simple keyword:

```
!PBEh-3c IRC
```

```
%IRC
```

```
  MAXITER 30
```

```
END
```

```
*XYZ 0 1
```

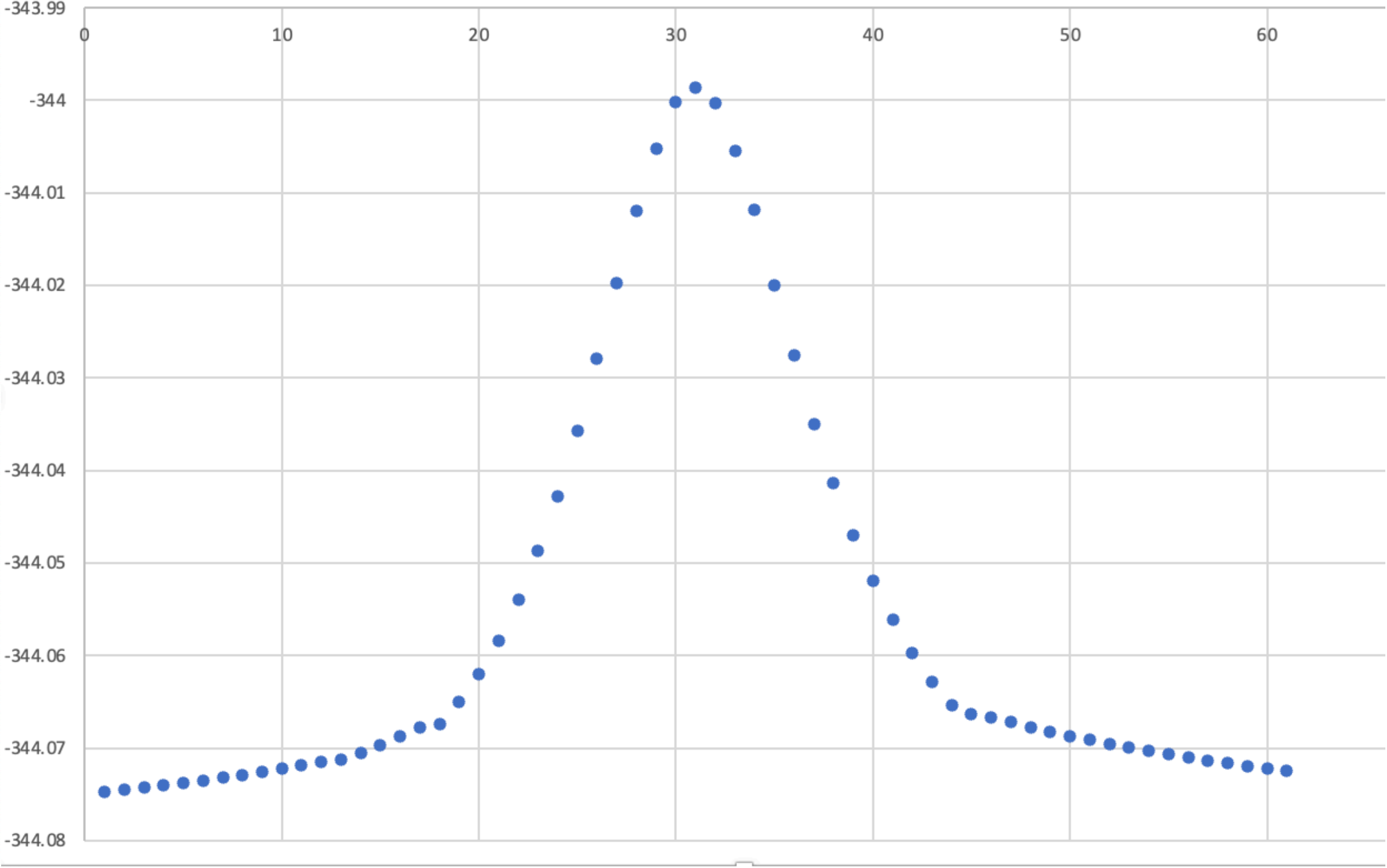
C	-1.84501632713068	-0.29902338501760	0.13965550783148
C	-0.60427233047858	0.40801470126327	-0.30748931627626
H	-1.79969560900340	-0.62542670171715	1.17387028101901
H	-1.99815116424407	-1.16672099289380	-0.50053987777241
H	-2.69502981456739	0.37020072397205	0.01415109784312
O	0.65789072189710	-0.51654995193254	0.40508214427829
C	1.78743258993764	-0.74092055682896	-0.40589355555236
H	1.87117376072047	-0.00613885127936	-1.21175769873916
H	1.73166898217582	-1.73455818935491	-0.85282219990796
H	2.69041861170014	-0.69167566508163	0.20538781077427
O	-0.35825727785491	0.87776938984982	-1.37278324761597
O	-0.19672134435744	1.40575408337574	1.03247158384842
H	0.17686346937189	2.21194694294315	0.65417696505443
H	0.58169573183341	0.50732845270191	1.02649050521508

```
*
```


IRC PATH SUMMARY

All gradients are in Eh/Bohr.

Step	E(Eh)	dE(kcal/mol)	max(G)	RMS(G)	
1	-344.074710	-47.741633	0.002577	0.000922	
2	-344.074493	-47.605196	0.002783	0.000959	
3	-344.074260	-47.458644	0.002892	0.001012	
4	-344.074011	-47.302712	0.003098	0.001073	
5	-344.073748	-47.137447	0.003210	0.001138	
6	-344.073468	-46.962176	0.003447	0.001205	
7	-344.073173	-46.776850	0.003546	0.001276	
8	-344.072860	-46.580611	0.003822	0.001347	
9	-344.072530	-46.373555	0.003910	0.001424	
10	-344.072181	-46.154651	0.004219	0.001501	
11	-344.071815	-45.924672	0.004292	0.001589	
12	-344.071460	-45.701872	0.004673	0.001845	
13	-344.071258	-45.575130	0.006347	0.002303	
14	-344.070537	-45.122979	0.007343	0.002114	
15	-344.069698	-44.596326	0.005706	0.002229	
16	-344.068747	-43.999674	0.008459	0.002380	
17	-344.067747	-43.372141	0.006645	0.002728	
18	-344.067355	-43.125928	0.009903	0.003685	
19	-344.065051	-41.680262	0.011665	0.003250	
20	-344.062032	-39.785487	0.010072	0.003665	
21	-344.058366	-37.485237	0.014301	0.004362	
22	-344.053957	-34.718492	0.015199	0.005153	
23	-344.048711	-31.426466	0.016723	0.006067	
24	-344.042823	-27.732074	0.021603	0.007262	
25	-344.035751	-23.294381	0.022065	0.007802	
26	-344.027886	-18.359011	0.024584	0.008367	
27	-344.019708	-13.227406	0.026356	0.008393	
28	-344.011913	-8.335820	0.028480	0.007938	
29	-344.005200	-4.122953	0.021531	0.006678	
30	-344.000235	-1.007366	0.019159	0.004828	
31	-343.998629	0.000000	0.000250	0.000068	<= TS
32	-344.000272	-1.030916	0.019481	0.004840	
33	-344.005452	-4.281648	0.021815	0.007375	





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PROPERTIES

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Kinetic Isotope Effects (KIE)

Kinetic isotope effects (KIE) are changes in reaction rates caused by a change in a given isotope in a molecule. That is caused due to the difference in mass, that affects vibrational frequencies and/or tunneling probabilities.

It is an effect often exploited to investigate reaction mechanisms, when there is bond breaking or forming to an atom that can be substituted by an isotope. These KIE are predictable, depending on the mass ratios, and thus can be used to validate proposed mechanisms. The origin of the KIE is related to a change on the **Zero Point Energy (ZPE)** of the system, that is affected when the vibrational frequencies are lowered or increased due to the mass change. For the heavier deuterium the vibrational frequencies are lowered, thus lowering the ZPE and altering the free energy barrier.

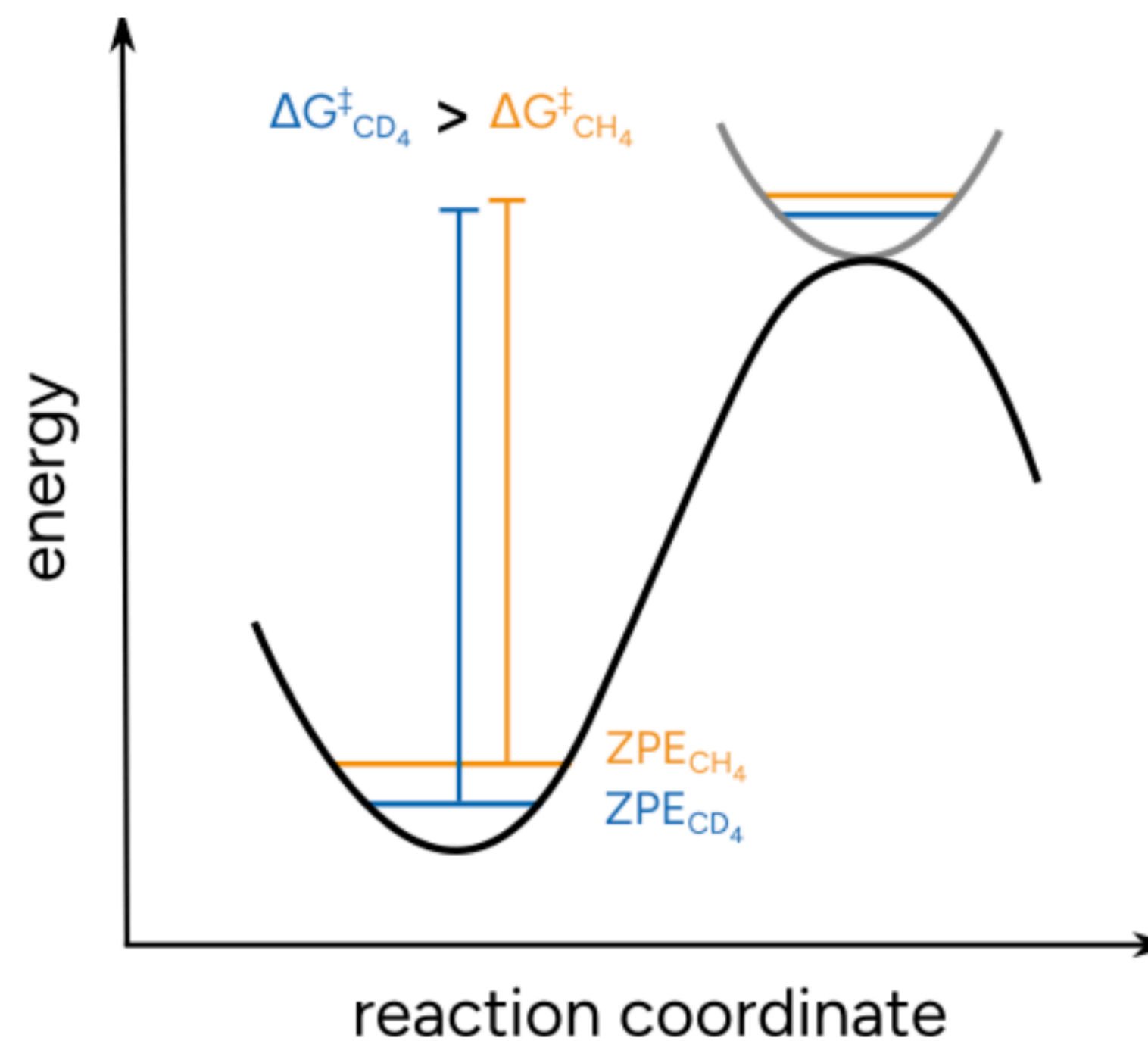
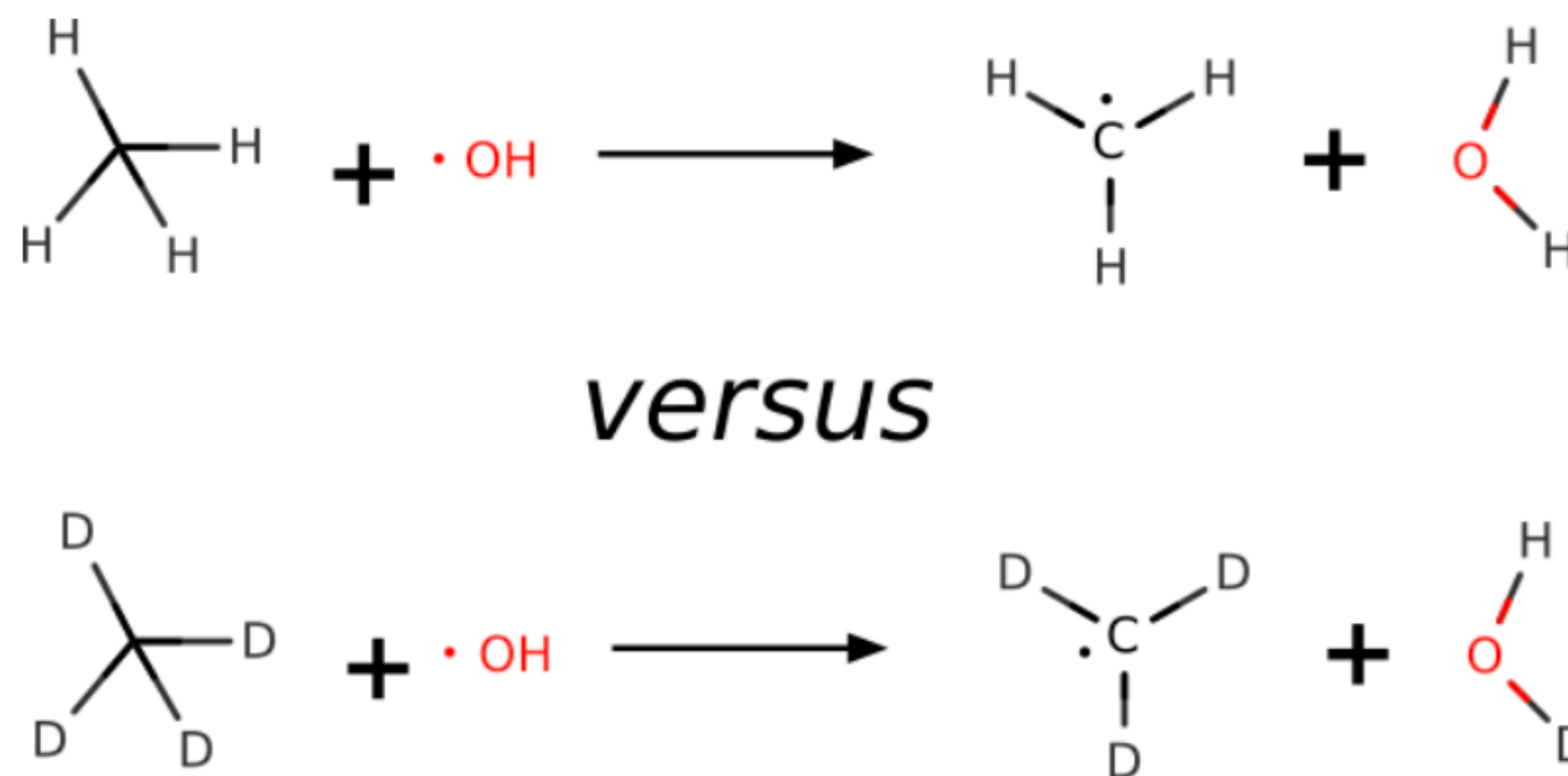


Figure: Schematic origin of the KIE.

Example 1: H-atom Abstraction

In this example, we use ORCA to make a quantum-mechanical prediction of the KIE for the H-atom abstraction from methane by the hydroxyl radical. The respective KIE ratio is known from highly accurate gas-phase experiments (6.75 ± 0.83).[\[Tully1993\]](#)



First, we searched for the transition states of the respective reactions with the [NEB-TS](#) method. In this case, we employed the ω B97X-3c composite method. It is based on a range-separated hybrid functional that is specifically suited to compute transition states and reaction barriers at a reasonable cost. Note, that we also adjusted the temperature for the [thermochemistry calculation](#) to obtain free energies at the same conditions as in the experiment ($T = 293 \text{ K}$). We further optimize the isolated reactants for both cases. The respective inputs can be found in the tabs below:

Typically, the KIE is quantified by the ratio of the reaction rates of both reactions $\frac{k_H}{k_D}$. This can be calculated from the free energy reaction barriers of both reactions according to:

$$\frac{k_H}{k_D} = e^{-(\Delta G_H^\ddagger - \Delta G_D^\ddagger)/RT}$$

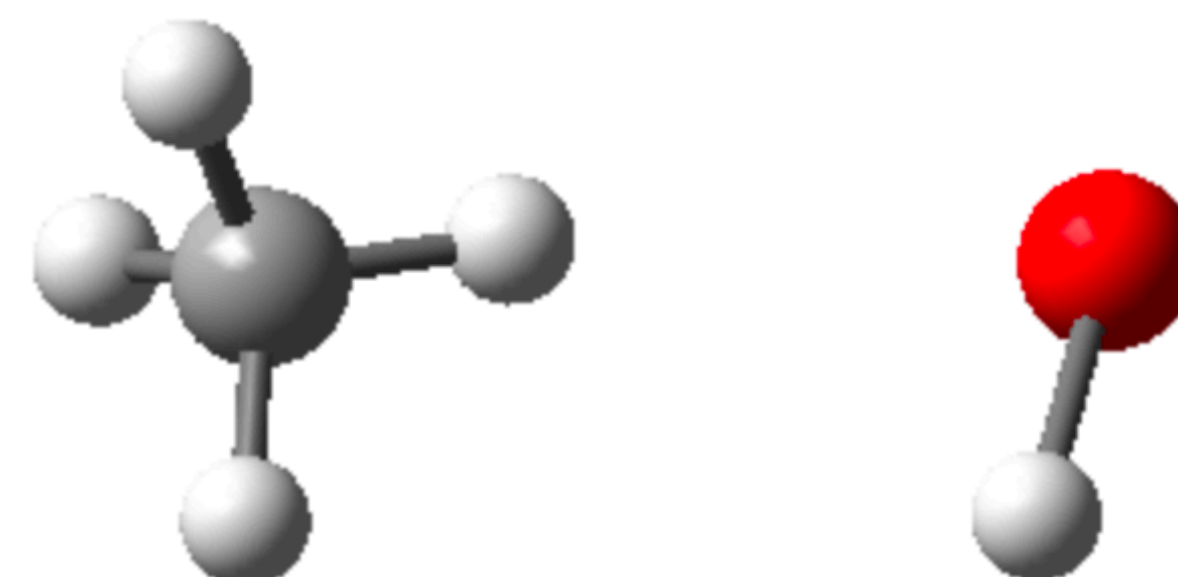
To obtain these barriers, we can use the usual transition state search and optimization algorithms in ORCA, we just have to adjust the mass of the respective atoms to simulate the corresponding isotopes. This can be easily done via the geometry input within the ORCA input file:

Structures

Encounter Complex Reactants

7

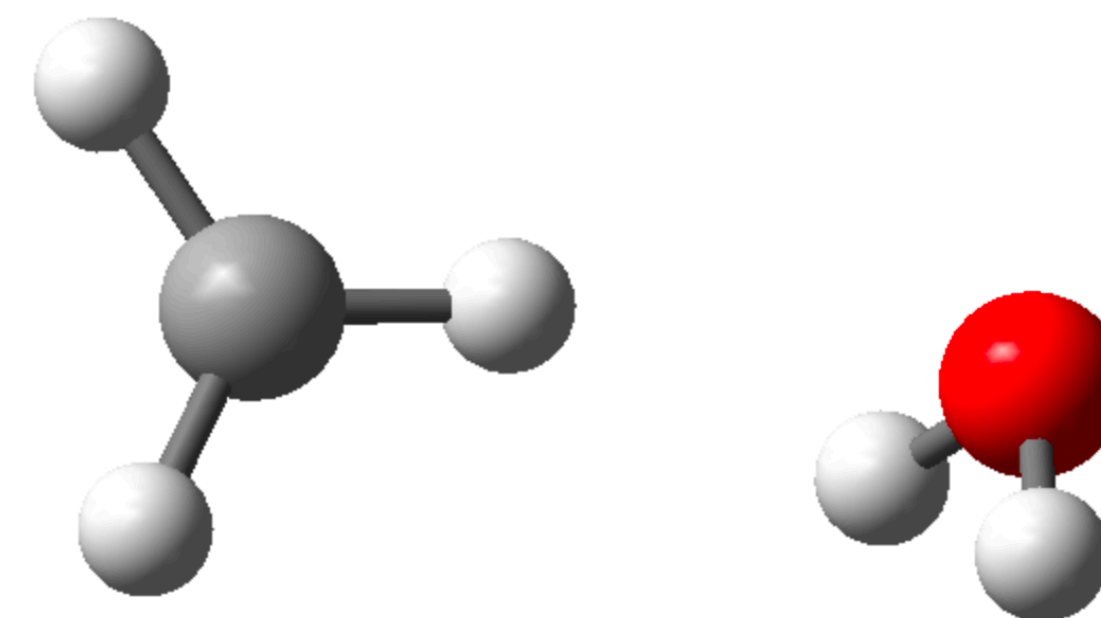
C	-2.42007	1.14475	0.00503
H	-1.37176	1.42602	-0.24888
H	-2.95035	0.87504	-0.97240
H	-2.97696	2.02414	0.50780
H	-2.39461	0.26127	0.72431
O	1.11295	1.79481	-0.12688
H	0.85814	0.90892	0.95813



Encounter Complex Products

7

C	-2.640806	0.931381	0.002030
H	0.593417	1.397564	-0.537054
H	-3.426646	1.364904	-0.619289
H	-1.670863	1.425720	0.075351
H	-2.839810	0.009183	0.550600
O	0.590809	2.120231	0.105838
H	0.558140	1.654177	0.952824



NEB-TS CH₄

```
!wB97X-3c NEB-TS FREQ
```

```
%FREQ
```

```
TEMP 293
```

```
END
```

```
%NEB
```

```
NEB_END_XYZFILE "products.xyz"
```

```
PREOPT_ENDS true
```

```
END
```

```
*XYZ 0 2
```

```
C      -2.42007      1.14475      0.00503
```

```
H      -1.37176      1.42602     -0.24888
```

```
H      -2.95035      0.87504     -0.97240
```

```
H      -2.97696      2.02414      0.50780
```

```
H      -2.39461      0.26127      0.72431
```

```
O       1.11295      1.79481     -0.12688
```

```
H       0.85814      0.90892      0.95813
```

```
*
```

```
!wB97X-3c FREQ
```

```
%FREQ
```

```
TEMP 293
```

```
END
```

```
*XYZ 0 2
```

```
C      -0.77672150719414     -0.11062433767368     -0.05126291790560
```

```
H       0.40511772598804      0.08651435625257     -0.24283572940597 M 2.00141
```

```
H      -1.25858064179850      0.35216439100362     -0.90602155486324 M 2.00141
```

```
H      -1.03738591010902      0.36987592143087      0.88496542978681 M 2.00141
```

```
H      -0.90406671027849     -1.18696897934715     -0.02619182767547 M 2.00141
```

```
O       1.67760096718393      0.30384835340421     -0.29645557932778
```

```
H       1.89403607620818      0.18519029492956      0.63780217939125
```

```
*
```


NEB-TS CH₄

!wB97X-3c NEB-TS FREQ

%FREQ

TEMP 293

END

%NEB

NEB_END_XYZFILE "products.xyz"

PREOPT_ENDS true

END

Summary of contributions to the inner energy U:
Electronic energy ... -24.67823884 Eh
Zero point energy ... 0.05202516 Eh

Final Gibbs free energy ... -24.65155581 Eh

!wB97X-3c FREQ

%FREQ

TEMP 293

END

*XYZ 0 2

C	-0.77672150719414	-0.11062433767368	-0.05126291790560
H	0.40511772598804	0.08651435625257	-0.24283572940597 M 2.00141
H	-1.25858064179850	0.35216439100362	-0.90602155486324 M 2.00141
H	-1.03738591010902	0.36987592143087	0.88496542978681 M 2.00141
H	-0.90406671027849	-1.18696897934715	-0.02619182767547 M 2.00141
O	1.67760096718393	0.30384835340421	-0.29645557932778
H	1.89403607620818	0.18519029492956	0.63780217939125

*

Summary of contributions to the inner energy U:
Electronic energy ... -24.67823884 Eh
Zero point energy ... 0.04144327 Eh

Final Gibbs free energy ... -24.66300026 Eh

Infrared and Raman

The prediction of infrared (IR) and (non-resonant) Raman spectra are nowadays a straightforward task in computational chemistry. Let us use ORCA to predict the fundamental frequencies and intensities for benzene.

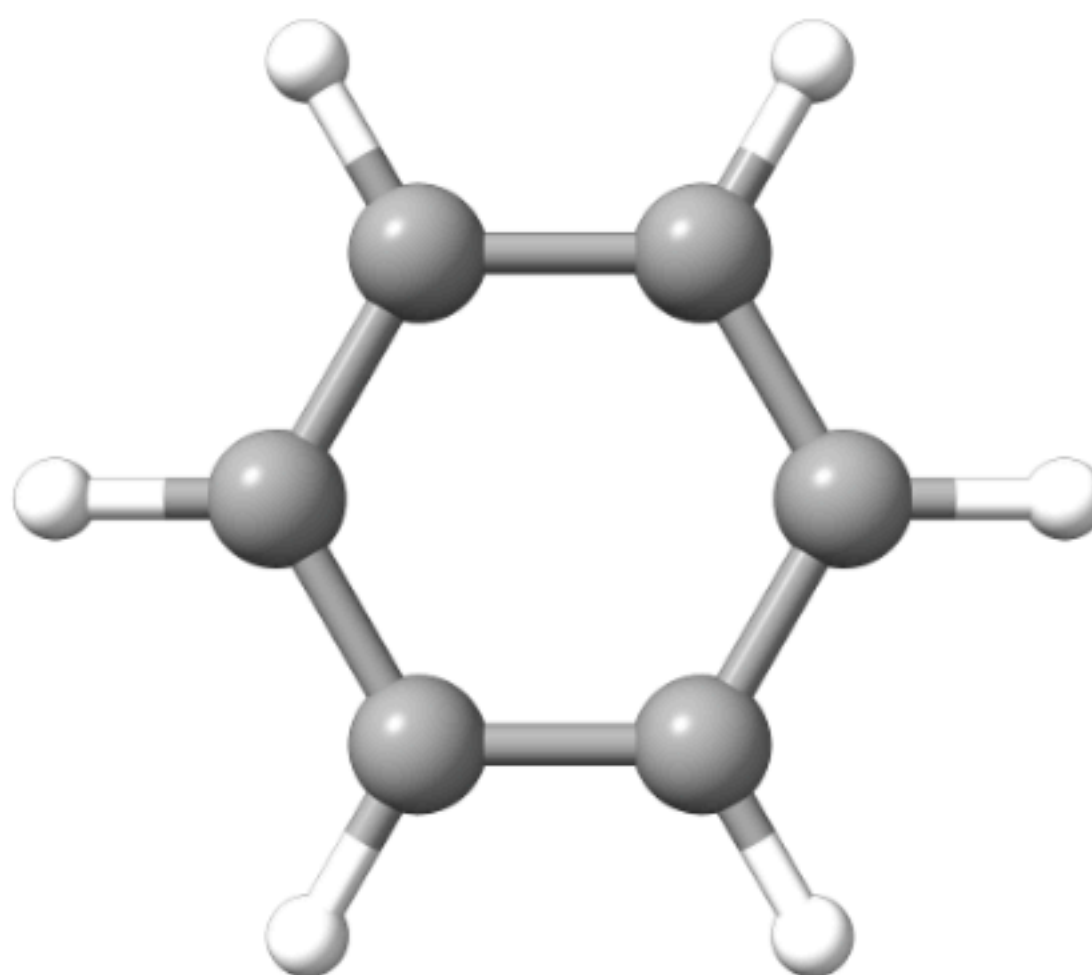


Figure: D_{6h} symmetric structure of benzene.

41

Predicting infrared spectra

The optimization of the molecular structure and subsequent calculation of the vibrational frequencies, e.g. with DFT can be invoked via simple keywords `OPT` and `FREQ`:

```
!BP86 DEF2-SVP OPT FREQ
```

```
*XYZ 0 1
```

```
H      -1.242909    -2.152782    0.000000
C      -0.695566    -1.204756    0.000000
C       0.695566    -1.204756    0.000000
H       1.242909    -2.152782    0.000000
C       1.391133     0.000000    0.000000
H       2.485819     0.000000    0.000000
C       0.695566     1.204756    0.000000
H       1.242909     2.152782    0.000000
C      -0.695566     1.204756    0.000000
H      -1.242909     2.152782    0.000000
C      -1.391133     0.000000    0.000000
H      -2.485819     0.000000    0.000000
*
```

VIBRATIONAL FREQUENCIES

Scaling factor for frequencies = 1.000000000

```
0:      0.00 cm**-1
1:      0.00 cm**-1
2:      0.00 cm**-1
3:      0.00 cm**-1
4:      0.00 cm**-1
5:      0.00 cm**-1
6:    401.52 cm**-1
7:    401.56 cm**-1
8:    600.09 cm**-1
9:    600.18 cm**-1
10:   668.21 cm**-1
11:   711.39 cm**-1
12:   837.65 cm**-1
13:   837.91 cm**-1
14:   961.32 cm**-1
15:   961.55 cm**-1
```


Predicting Raman spectra

In a similar way, the non-resonant Raman spectra composed of fundamental transitions can be predicted. The main difference here is that the derivatives of the polarizability have to be computed numerically, so that the !NUMFREQ flag has to be used, together with a keyword under %ELPROP to request the calculation of polarizabilities:

```
!r2SCAN-3c OPT NUMFREQ

%ELPROP
  POLAR 1
END

*XYZ 0 1
H      -1.242909   -2.152782   0.000000
C      -0.695566   -1.204756   0.000000
C       0.695566   -1.204756   0.000000
H       1.242909   -2.152782   0.000000
C       1.391133    0.000000   0.000000
H       2.485819    0.000000   0.000000
C       0.695566    1.204756   0.000000
H       1.242909    2.152782   0.000000
C      -0.695566    1.204756   0.000000
H      -1.242909    2.152782   0.000000
C      -1.391133    0.000000   0.000000
H      -2.485819    0.000000   0.000000
*
```


RAMAN SPECTRUM

Mode	freq (cm** ⁻¹)	Activity	Depolarization
6:	406.22	0.000001	0.244341
7:	406.38	0.000002	0.103698
8:	620.29	6.322504	0.748980
9:	626.43	6.120654	0.750000
10:	677.12	0.000006	0.083198
11:	720.92	0.002483	0.748610
12:	859.04	3.481911	0.750000
13:	859.07	3.510692	0.749999
14:	977.35	0.000002	0.163679
15:	977.47	0.000006	0.124582
16:	1005.53	0.002872	0.741300
17:	1007.27	65.008257	0.050869
18:	1034.75	0.000001	0.165809
19:	1060.65	0.000010	0.115178
20:	1062.04	0.000001	0.227579
21:	1175.64	0.000000	0.706378
22:	1197.31	4.797428	0.749999
23:	1199.41	4.641129	0.747402
24:	1357.80	0.000000	0.073285
25:	1374.30	0.000054	0.728478
26:	1509.83	0.000000	0.425208
27:	1518.34	0.000011	0.124426
28:	1630.10	10.025353	0.750000
29:	1630.25	10.366386	0.748095
30:	3149.98	0.000003	0.261978
31:	3155.90	93.088830	0.750000
32:	3158.93	94.929080	0.730217
33:	3177.21	0.000000	0.541905
34:	3181.98	0.000004	0.160598
35:	3186.74	335.039677	0.120725

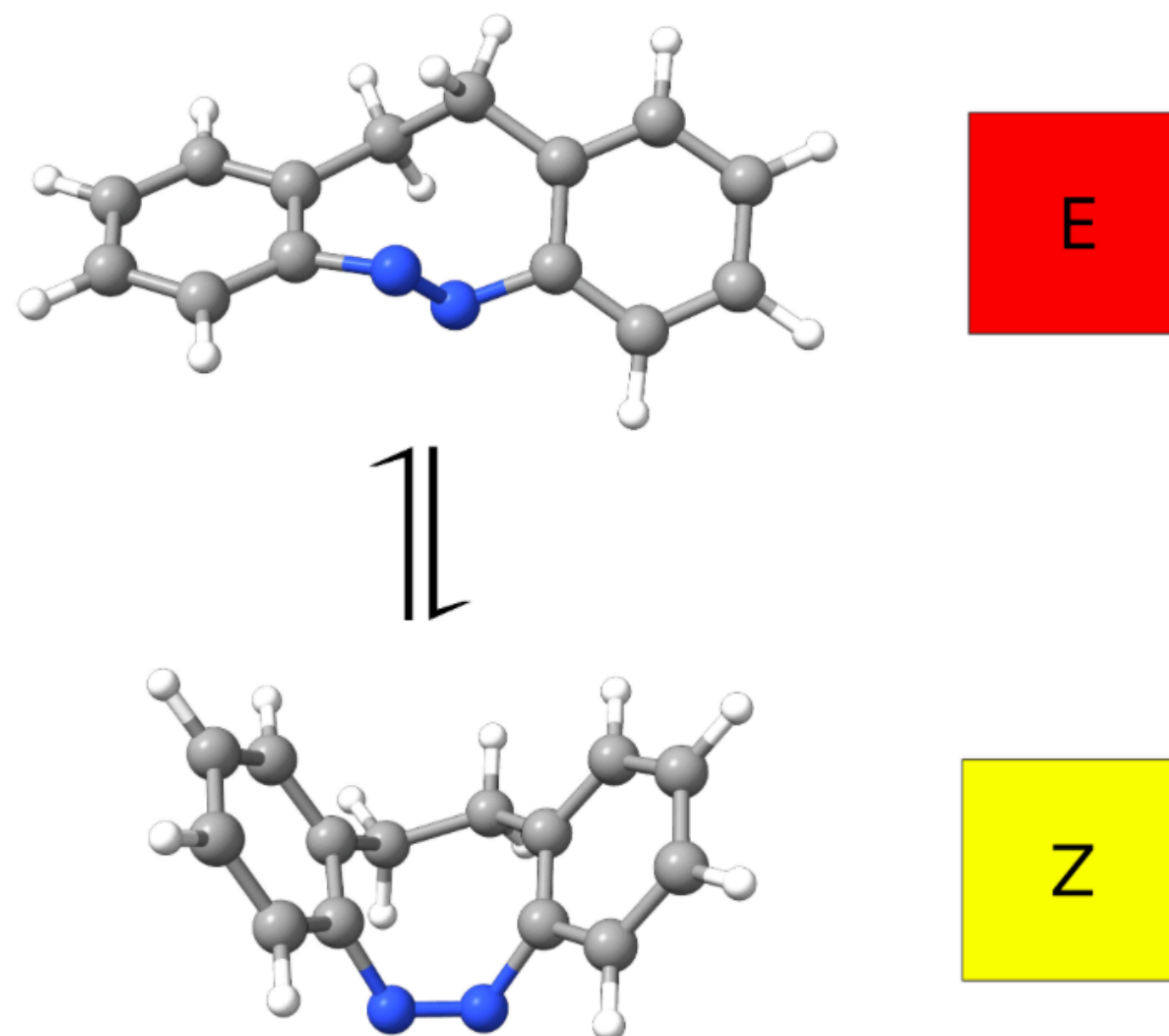
UVVis spectroscopy (UV/Vis)

Predicting the UV/Vis spectrum is, essentially, predicting the electronic excited states of a system, their energies and the probabilities of transition between them.

In ORCA, there are several methods that can compute excited state properties with higher or lower accuracy, but here we will discuss only two of them: the simpler and widely used TD-DFT, that presents a good speed to accuracy trade-off, and the newer STEOM-DLPNO-CCSD, that is closer to the high-end of excited state methods.

Example: Azobenzene E/Z Isomers

To make this rather abstract topic into something more concrete, we will try to simulate the experimental results obtained for an azobenzene derivative [Temps2009]:



Optimize the structure

!BP86 D4 DEF2-SVP CPCM(HEXANE) OPT FREQ

*XYZ 0 1

N	-0.19164279950750	-0.96926144828012	-0.53459558511589
N	0.44658040451105	-0.50407153307678	-1.50662970256771
C	-1.53635674716984	-0.52834762691896	-0.52532108441302
C	1.80414144973741	-0.26859646795932	-1.18237938657729
C	-1.65726647385803	0.86831657936620	-0.36197975384745
C	1.96927590891924	0.70968543007533	-0.17858527477380
C	-0.44645902322083	1.79869304909504	-0.30928288527689
C	0.78821702218584	1.35815344368276	0.54183348328187
C	-2.63146486387963	-1.38314788804172	-0.46528529869032
C	2.87439594445363	-0.77755791742096	-1.90956020187744
C	-2.94616274030449	1.37162141687240	-0.18537511000542
C	3.27508115347535	1.11621394823202	0.09546409691375
C	-3.90409034232453	-0.84336583221667	-0.32013228230066
C	4.16473482215943	-0.37289730851021	-1.58770894888444
C	-4.05983156796972	0.53403036072867	-0.18180153059729
C	4.36354135766928	0.57260102863368	-0.58411601089971
H	-5.05084584978471	0.95799050753863	-0.04920600802770
H	5.36877143950443	0.90507499783999	-0.34246535236524
H	5.01225734097533	-0.78582793153040	-2.12676778399225
H	-0.80681604358309	2.74159728854128	0.11628958163229
H	-2.48000444297462	-2.45444538927589	-0.55866253838105
H	2.68997322164999	-1.50135981915759	-2.69788832751887
H	-3.07972281603976	2.44154370005945	-0.04184411004762
H	3.44234989458499	1.87887011965607	0.85281961920949
H	-4.77110670184572	-1.49712784679395	-0.30288976144689
H	-0.11530918171398	2.04021290145079	-1.32644493370403
H	0.44800686438261	0.71278880845663	1.36064239283169
H	1.18310176996786	2.26071642895362	1.02080869744191

*

UVVis spectroscopy (UV/Vis)

!CAM-B3LYP DEF2-TZVP CPCM(HEXANE)

%TDDFT

NROOTS 30

END

*XYZ 0 1

N	-0.20233261350251	-0.98352101890508	-0.53864256798465
N	0.45685574902912	-0.51593952720020	-1.51407147792640
C	-1.54295554443568	-0.53876036443078	-0.52338042376975
C	1.81047923822707	-0.27363430990024	-1.19077727859341
C	-1.66606508184945	0.87410430721721	-0.35993830396083
C	1.97855314383950	0.71486214506290	-0.17459021080388
C	-0.44773448184299	1.80225286700293	-0.30896092469013
C	0.78948412680428	1.36020875322509	0.54510911346728
C	-2.65381442370950	-1.39733328617257	-0.46389898574428
C	2.89596537305414	-0.78576040510117	-1.92161237307395
C	-2.96659540316517	1.38180597015202	-0.18218068923252
C	3.29639462441249	1.12503336545013	0.10079423690754
C	-3.93670500857494	-0.85115653182447	-0.31568401546832
C	4.19686278079702	-0.37488772643820	-1.59757363771191
C	-4.09256770697750	0.53953556166117	-0.17641062039320
C	4.39655119246363	0.57983393435534	-0.58449547923311
H	-5.09610744215582	0.97122299710821	-0.04214572972590
H	5.41464813117020	0.91837638262705	-0.33879587329159
H	5.05650224604636	-0.79336459000480	-2.14300862182110
H	-0.80850536474706	2.76323802254608	0.11108295421499
H	-2.50021523125569	-2.48230731271427	-0.56052627767440
H	2.70846633153024	-1.52059816927113	-2.71842687644395
H	-3.09839031437952	2.46660305246919	-0.03788187466031
H	3.46294010586585	1.89769331824380	0.86906392310715
H	-4.81629333350793	-1.51271331070769	-0.29910927668970
H	-0.11161962454321	2.04413840612430	-1.33961211731954
H	0.44430346858122	0.70407700657517	1.37223745987253
H	1.18524406282586	2.26909346285000	1.04237194864337

*

ABSORPTION SPECTRUM VIA TRANSITION ELECTRIC DIPOLE MOMENTS										
Transition			Energy (eV)	Energy (cm-1)	Wavelength (nm)	fosc(D2)	D2 (au**2)	DX (au)	DY (au)	DZ (au)
0-1A	->	1-1A	2.414763	19476.4	513.4	0.042068079	0.71108	-0.84106	-0.01298	0.05946
0-1A	->	2-1A	4.142181	33408.9	299.3	0.016217854	0.15981	-0.00800	-0.35844	-0.17682
0-1A	->	3-1A	4.387979	35391.4	282.6	0.123335114	1.14727	1.07068	-0.00773	-0.02922
0-1A	->	4-1A	4.685222	37788.9	264.6	0.004657170	0.04057	-0.00523	-0.18089	-0.08845
0-1A	->	5-1A	4.733802	38180.7	261.9	0.206717532	1.78242	1.31589	0.07855	-0.21140
0-1A	->	6-1A	5.358545	43219.6	231.4	0.012467250	0.09497	-0.00160	-0.13420	0.27740
0-1A	->	7-1A	5.398520	43542.0	229.7	0.066133848	0.50002	-0.01089	-0.63567	-0.30956
0-1A	->	8-1A	5.593749	45116.6	221.6	0.040701865	0.29700	0.00813	0.48883	0.24079
0-1A	->	9-1A	5.771914	46553.6	214.8	0.106968009	0.75644	-0.86702	0.04157	-0.05467
0-1A	->	10-1A	6.195423	49969.5	200.1	0.029984905	0.19755	-0.00255	-0.39700	-0.19984
0-1A	->	11-1A	6.234418	50284.0	198.9	0.068292391	0.44711	-0.60182	-0.12593	0.26281
0-1A	->	12-1A	6.357911	51280.0	195.0	0.886800286	5.69316	-2.35962	-0.11749	0.33402
0-1A	->	13-1A	6.446254	51992.6	192.3	0.002029291	0.01285	-0.01641	-0.10184	-0.04700
0-1A	->	14-1A	6.655835	53682.9	186.3	0.000729919	0.00448	-0.06504	0.00859	-0.01312
0-1A	->	15-1A	6.822470	55026.9	181.7	0.008926923	0.05341	-0.00083	-0.20742	-0.10191
0-1A	->	16-1A	6.893816	55602.4	179.8	0.769272438	4.55473	-2.13235	0.06807	-0.05640
0-1A	->	17-1A	7.016620	56592.9	176.7	0.471813045	2.74463	-1.52080	-0.26523	0.60120
0-1A	->	18-1A	7.069792	57021.7	175.4	0.439592131	2.53796	0.02230	1.42890	0.70406
0-1A	->	19-1A	7.112290	57364.5	174.3	0.191052255	1.09644	1.01800	0.09585	-0.22565
0-1A	->	20-1A	7.221258	58243.4	171.7	0.503613974	2.84660	-0.06108	-1.53908	-0.68855
0-1A	->	21-1A	7.221942	58248.9	171.7	0.114215900	0.64553	0.37023	0.17594	-0.69102
0-1A	->	22-1A	7.313186	58984.8	169.5	0.000186508	0.00104	0.00211	-0.02794	-0.01600
0-1A	->	23-1A	7.422803	59868.9	167.0	0.086880317	0.47774	-0.01084	-0.61931	-0.30672
0-1A	->	24-1A	7.472834	60272.5	165.9	0.125887099	0.68760	0.82591	0.01734	-0.07191
0-1A	->	25-1A	7.533889	60764.9	164.6	0.004611224	0.02498	-0.00244	-0.14274	-0.06785
0-1A	->	26-1A	7.545857	60861.4	164.3	0.031529254	0.17055	-0.40931	-0.02220	0.05022
0-1A	->	27-1A	7.569406	61051.4	163.8	0.002504941	0.01351	0.00284	0.10391	0.05198
0-1A	->	28-1A	7.574365	61091.4	163.7	0.114679105	0.61799	-0.01290	-0.70570	-0.34613
0-1A	->	29-1A	7.632709	61562.0	162.4	0.041472433	0.22178	-0.44089	-0.06836	0.15075
0-1A	->	30-1A	7.670053	61863.2	161.6	0.115275254	0.61345	0.01217	0.70310	0.34489



ORCA 6.0 TUTORIALS

Q SEARCH

Plotting Fukui functions

Automated docking (DOCKER)

SPECTROSCOPY

Infrared and Raman

UVVis spectroscopy (UV/Vis)

Electronic Circular Dichroism (ECD)

Vibrational Circular Dichroism (VCD)

Nuclear Magnetic Resonance (NMR)

Electron Paramagnetic Resonance (EPR)

Spin-orbit coupling

MULTISCALE METHODS

Starting with Multiscale models - QM/XTB ONIOM

Let's start our incursion on the world of multiscale calculations. Multiscale here means that we will use different levels of theory/methods for different parts of our system.

These multiscale models can be useful for a variety of problems: treating the active site of a protein on a higher level and the rest of the protein on a simpler level, modeling a chromophore on a higher level and the surrounding explicit solvent on a lower level, or even splitting a medium-sized system into smaller parts for improved efficiency.

In ORCA, there are different approaches to run multiscale simulations, based on three main categories:

1. ONIOM methods mixing different "Quantum Mechanical" (QM) methods,
2. QM/MM methods mixing QM with "Molecular Mechanics" (MM) methods that rely on predefined force-fields, and
3. Crystal-QM/MM methods which treat a small part of a periodic crystal (e.g. the unit cell) at a high QM level and embed this in a lower level model of the large super-cell model.

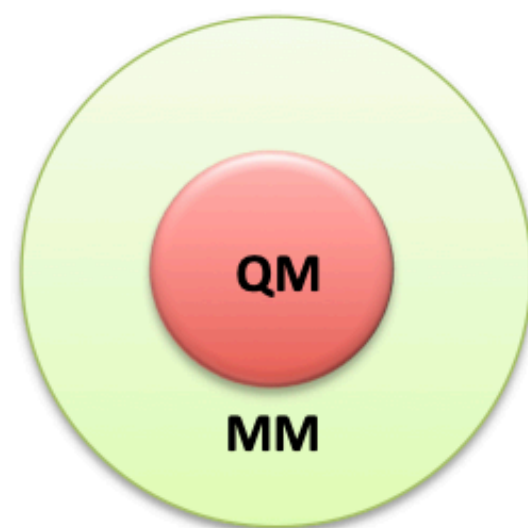
It is important to emphasize that our implementation is focused in all cases on a "QM-centric" perspective, meaning it is aimed at users familiar with QM approaches, and so will be these tutorials.


```

!QM/XTB revPBE D4 DEF2-TZVP
%QMMM QMATOMS {0:11} END END
* XYZ 0 1
C    -0.701502936   -0.290627698    2.406884396
H    -1.183295956    0.395647770    3.098874220
H     0.349561571   -0.030321572    2.307833035
H    -0.794056854   -1.291605451    2.824039291
C    -1.448546246   -0.244876636    1.091815299
O    -2.660450004   -0.428479088    1.034345768
N    -0.670056563    0.005916557    0.009776912
H     0.326675319    0.122563958    0.141592839
C    -1.227054574    0.089793737   -1.319967541
H    -2.292024256   -0.106501186   -1.240877562
H    -1.077801692    1.079940300   -1.748543540
H    -0.776628489   -0.647999190   -1.983372734
C     2.041774914   -2.351697968    0.686397615
H     2.599999718   -3.261701204    0.480489612
H     1.113083056   -2.358227418    0.122072198
H     1.782555985   -2.328251269    1.743338615
C     2.809410856   -1.097285929    0.350160876
O     2.264224213    0.004150876    0.293188485
N     4.136169069   -1.266099696    0.136412906
H     4.512490369   -2.193345392    0.213170232
C     5.023407253   -0.159633723   -0.152535629
H     4.409214873    0.731176053   -0.232359342
H     5.750821803   -0.020167991    0.644867678
H     5.548397546   -0.319615451   -1.091677965
*

```


Quantum mechanics/molecular mechanics (QM/MM) methods



$$\hat{H} = \hat{H}_{QM} + \hat{H}_{MM} + \hat{H}_{Interactions}$$

$$E_{Total}(QM:MM) = E_{QM}(QM) + E_{MM}(MM) + E_{Interactions}(QM:MM)$$

$$E_{Interactions}(QM:MM) = E_{MM}(QM:MM) - [E_{MM}(QM) + E_{MM}(MM)]$$

$$E_{Total}(QM:MM) = E_{QM}(QM) + E_{MM}(QM:MM) - E_{MM}(QM)$$

Our own n-layered integrated molecular orbital and molecular mechanics (ONIOM) method

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